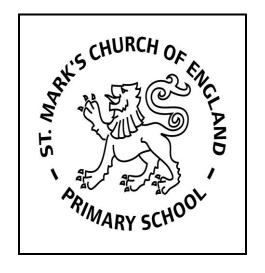
# Maths Written



"Every Child, Every Chance, Every Day"

**Written by: Matt Jones** 



# St Marks CE Primary School Policy for Maths written calculation

As children progress through the school they will need to develop ways of recording to support their mental calculation and thinking.

The intention of this policy is to ensure that:

'By the end of Y6, children are equipped with mental, written and calculator methods that they can understand and use correctly'

(Primary Framework, Guidance Paper, Calculation)

It is organised into year groups so that teachers can use the document to support their planning and delivery of lessons and parents can identify what their children should be using for homework. Mental calculation will continue to be used; written calculations are not a substitute for this. Mental calculation will be addressed at the beginning of every lesson and during an additional discrete lesson once a day.

The policy will be monitored during the Maths book and planning monitoring cycle to ensure written calculations are being taught as the policy sets out.

The policy intends to be for practical use by class teachers every day, therefore is in a summary format. It will also be shared with teaching assistants and parents. If further information is required, this can be found in the Primary Framework guidance paper and Cambridge Education at Islington Calculation Policy documents from the Maths Subject Leader.

A selection of mental calculation strategies that need to be taught through discrete mental maths lesson every day, throughout the school.

Addition	Mental recall of number bonds			
1.133.7.1011	6 + 4 = 10			
	25 + 75 = 100			
	Use near doubles			
	7+ 8 = double 7 + 1 = 15			
	Addition using partitioning and recombining			
	43 + 54 = (40 + 50) + (3 + 4) = 97			
	Counting on or back in repeated steps of 1, 10, 100, 1000			
	86 + 57 = 143 (by counting on in tens and then in ones)			
	460 + 320 = 780 (by counting on in hundreds then in tens)			
	Add the nearest multiple of 10, 100 and 1000 and adjust			
	24 + 19 = 24 + 20 - 1 = 43			
	458 + 71 = 458 + 70 + 1 = 529			
	Use the relationship between addition and subtraction			
	36 + 19 = 55			
	55 - 19 = 36			
<b>Subtraction</b>	Mental recall of addition and subtraction facts			
	10 - 6 = 4 17 - □ = 11			
	20 - 17 = 3			
	Find a small difference by counting up  82 - 79 = 3			
	82 - 79 = 3			
	Counting on or back in repeated steps of 1, 10, 100, 1000			
	86 - 52 = 34 (by counting back in tens and then in ones)			
	460 - 300 = 160 (by counting back in hundreds)			
	Subtract the nearest multiple of 10, 100 and 1000 and adjust			
	24 - 19 = 24 - 20 + 1 = 5			

	458 - 71 = 458 - 70 - 1 = 387
	Use the relationship between addition and subtraction
	36 + 19 = 55
	55 - 19 = 36
Multiplication	Doubling and halving
	Doubling and halving
	Applying the knowledge of doubles and halves to known facts.
	e.g. $8 \times 4$ is double $4 \times 4$
	Using multiplication facts
	Tables should be taught everyday from Y2 onwards, either as part of the mental oral starter or other times as appropriate within the day.
	Year 1 Count on or back in 1s, 2s, 5s and 10s and use this knowledge to derive the multiples of 2,5 and 10 to the tenth multiple.
	Recall the doubles of all numbers to at least 10.
	Year 2 Pupils should be taught to derive and recall multiplication facts for:
	2 times table
	5 times table
	10 times table
	Year 3 Pupils should be taught to derive and recall multiplication facts for:
	2 times table
	3 times table
	4 times table
	6 times table
	5 times table
	10 times table
	Year 4 Pupils should be taught to derive and recall multiplication facts for:
	All tables up to $10 \times 10$
	Year 5 Recall quickly multiplication facts up to $10 \times 10$ and use them to multiply pairs of multiples of $10$ and $100$

### Division

### Doubling and halving

Knowing that halving is dividing by 2

### Deriving division facts

Tables should be taught everyday from Y2 onwards, either as part of the mental oral starter or other times as appropriate within the day.

Year 1

Count on and back in twos, fives and tens

**Year 2** Derive the related division facts for the:

2 times table

5 times table

10 times table

**Year 3** Derive the related division facts for the:

2 times table

3 times table

4 times table

5 times table

6 times table

10 times table

**Year 4** Derive the related division facts for multiplication facts up to  $10 \times 10$ .

**Year 5** Derive *quickly* division facts up to  $10 \times 10$ 

**Year 6** Use knowledge of multiplication and division facts to derive division facts involving decimals (e.g.  $4.8 \div 6$ ).

### Using and applying division facts

Children should be able to utilise their tables knowledge to derive other facts.

e.g. If I know  $24 \div 6 = 4$ , what else do I know?

 $240 \div 6 = 40$ ,  $2400 \div 6 = 400$ ,  $24000 \div 6 = 4000$ ,  $2.4 \div 6 = 0.4$  etc

### Dividing by 10 or 100

Knowing that the effect of dividing by 10 is a shift in the digits one place to the right.

Knowing that the effect of dividing by 100 is a shift in the digits two places to the right.

### Use of factors

## 126 ÷ 7 = 18

Use related facts

Given that  $1.4 \times 1.1 = 1.54$ 

What is  $1.54 \div 1.4$ , or  $1.54 \div 1.1$ ?

	addition	subtraction	multiplication	division
R	Children are encouraged to develop a	Children are encouraged to	Children will experience equal	Children will understand equal
E	mental picture of the number system	develop a mental picture of the	groups of objects.	groups and share items out in
C	in their heads to use for calculation.	number system in their heads to		play and problem solving. They
E		use for calculation.	They will count in 2s and 10s and	will count in 2s and 10s and
P			begin to count in 5s.	later in 5s.
T	They develop ways of recording	They develop ways of recording		
I	calculations using pictures, etc.	calculations using pictures etc.	They will work on practical	(00)(00)(00)
0	"Make (  CD TY CD  2 and g. Save 3, 4 and 2.	Marie 1998 Com 101 3	problem solving activities	
N	and and and	(M) 0. 0. 0. 0. 0. 0. 0. 0. 0. 0. 0. 0. 0.	involving equal sets or groups.	
			* *** ·	
	Bead strings or bead bars can be used	Bead strings or bead bars can be	\$\frac{1}{2} \tag{1}	
	to illustrate addition	used to illustrate subtraction	•*( <u>**</u> )	
		including bridging through ten by		
	8+2=10	counting back 3 then counting		
		back 2.		
	They use number lines and practical			
	resources to support calculation and	6-2=4		
	teachers demonstrate the use of the			
	number line.			
		They use number lines and		
		practical resources to support		
		calculation. Teachers		
		demonstrate the use of the		
		number line.		

	addition	<u>subtraction</u>	multiplication	division	
y E A	Using pictures  Market Company (Company)	Using pictures    Standard   And	Children will experience equal groups of <u>objects</u> .	Children will understand equal groups and share items out in play and problem solving. They	
R 0 Z E	Bead strings or bead bars can be used to illustrate addition including bridging through ten by counting on 2 then counting on 3.	Bead strings or bead bars can be used to illustrate subtraction including bridging through ten by counting back 3 then counting back 2.	They will count in 2s and 10s and begin to count in 5s.  They will work on practical problem solving activities involving equal sets or groups.	will count in 2s and 10s and later in 5s.	
	They use number lines and practical resources to support calculation and teachers demonstrate the use of the number line.  Children then begin to use numbered	Children then begin to use numbered lines to support their own calculations - using a numbered line to count back in ones.	Initially <u>pictorially</u> 2 + 2 + 2 + 2 = 8 2 x 4 = 8 4 groups of 2 = 8	How many groups of 2 in 6?  •• •• • = 3	
	lines to support their own calculations using a numbered line to count on in ones.  work out mentally that 5+8 = 5 + (5 and 3)	The <u>number line</u> should also be used to show that 6 - 3 means the 'difference between 6 and 3' or 'the difference between 3 and 6' and how many jumps they are	2 multiplied four times 2 groups of 3: using story sentences e.g. 2 bags with 3 apples each, practical activities	Recording <u>pictorially</u> using <u>concrete objects</u> .	
	$   \begin{array}{c}                                     $	apart.  Symbolic representations: How many less? $ \begin{array}{cccccccccccccccccccccccccccccccccc$	column x row  4 x 2 • • • •  2 x 4  Number tracks & lines.  Grouping objects pictorially	Partitioning sets	
	7 8 9 10				

### addition

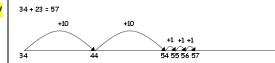
### y E A

### W O

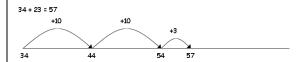
### Empty number lines

Children will begin to use 'empty number lines' themselves starting with the larger number and counting on.

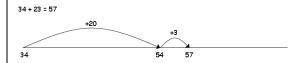
First counting on in tens and ones.



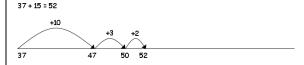
✓ Then helping children to become more efficient by adding the units in one jump (by using the known fact 4 + 3 = 7).



Followed by adding the tens in one jump and the units in one jump.



 Bridging through ten can help children become more efficient.



Use of a hundred square to support calculation



Begin to develop use of  $\underline{\textbf{partitioning}}$  when using number lines

### **subtraction**

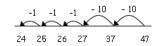
Empty number lines

Children will begin to use empty number lines to support calculations.

### Counting back:

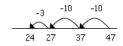
 ✓ First counting back in tens and ones.

47 - 23 = 24



Then helping children to become more efficient by subtracting the units in one jump (by using the known fact 7 - 3 = 4).

47 - 23 = 24



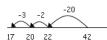
✓ Subtracting the tens in one jump and the units in one jump.

47 - 23 = 24



 ✓ Bridging through ten can help children become more efficient.

42 - 25 = 17



### Counting on:

The number line should still show 0 so children can cross out the section from 0 to the smallest number. They then associate this method with 'taking away'.

### multiplication

Children will develop their understanding of multiplication and use jottings to support calculation:

### Repeated addition

3 times 5 is 5+5+5=15 or 3 lots of 5 or  $5 \times 3$ 

Repeated addition can be shown easily on a number line:







### Commutative

Children should know that  $3\times 5$  has the same answer as  $5\times 3$ . This can also be shown on the number line.



### Arrays

Children should be able to model a multiplication calculation using an array. This knowledge will support with the development of the grid method.



### division

Children will develop their understanding of division and use jottings to support calculation

### Sharing equally

6 sweets shared between 2 people, how many do they each get?



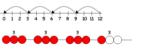
### Grouping or repeated subtraction

There are 6 sweets, how many people can have 2 sweets each?



# Repeated subtraction using a number line or bead bar

12 ÷ 3 = 4



The bead bar will help children with interpreting division calculations such as 10  $\pm$  5 as how

### <u>Using symbols to stand for unknown</u> numbers to complete equations using inverse operations

□ ÷ 2 = 4 20 ÷ △ = 4 □

### Empty number lines

Children will continue to use empty number lines with increasingly large numbers, including compensation where appropriate.

Count on from the largest number irrespective of the order of the calculation.



### Compensation



### **Partitioning**

Children will begin to use informal pencil and paper methods (jottings) to support, record and explain partial mental methods building on existing mental strategies.

Adding the least significant digits first

### subtraction

### Number lines

Children will continue to use empty number lines with increasingly large numbers.

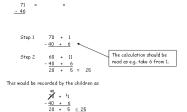
Children will begin to use informal pencil and paper methods (jottings).

### Partitioning and decomposition

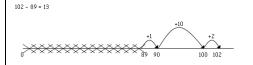
- Partitioning demonstrated using arrow cards
- Decomposition base 10 materials

**NOTE** When solving the calculation 89 - 57. children should know that 57 does NOT EXIST AS AN AMOUNT it is what you are subtracting from the other number. Therefore, when using base 10 materials, children would need to count out only the 89.

### Begin to exchange



Where the numbers are involved in the calculation are close together or near to multiples of 10, 100 etc counting on using a number line should be used.



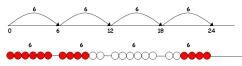
### multiplication

### Repeated addition

Children will continue to use this:

4 times 6 is 6+6+6+6=24 or 4 lots of 6 or  $6 \times 4$ 

Children should use number lines or bead bars to support their understanding.



### Arrays

Children should be able to model a multiplication calculation using an array. This knowledge will support with the development of the grid method.



### $9 \times 4 = 36$

 $9 \times 4 = 36$ 

### Scaling

e.g. Find a ribbon that is 4 times as long as the lue ribbon



✓ Using symbols to stand for unknown numbers to complete equations using inverse operations

### **Partitioning**

$$38 \times 5 = (30 \times 5) + (8 \times 5)$$
  
= 150 + 40  
= 190

Some may prefer grid method (see Year 4)

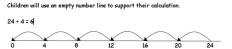
### division

Ensure that the emphasis in Y3 is on grouping rather than sharing.

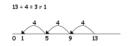
### Repeated subtraction

Children will continue to use:

using a number line



Children should also move onto calculations involving remainders.



Using symbols to stand for unknown numbers to complete equations using inverse operations

	addition					
У	√ Conso	✓ Consolidate Year 3 partitioning				
YEAR FOUR	Carrying below the line Introduce this method:					
F O	625	783	367			
U R	<u>+ 48</u>	<u>+ 42</u>	<u>+ 85</u>			
	673	825	452			
	1	1	11			
	✓ add sevenumber. ✓ begin to sums of adjustin pounds; ✓ know the up unde adding of	ethods, children wineral numbers with a sof digits; and two or more the money, with or with a the decimal point each other, particular subtracting mixes 1.59 + 78p.	different hree-digit hout to the ts should line cularly when			

### <u>subtraction</u>

### Partitioning and decomposition

### Decomposition

Children should:

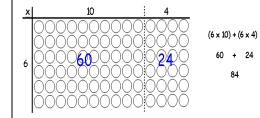
- be able to subtract numbers with different numbers of digits;
- using this method, children should also begin to find the difference between two three-digit sums of money, with or without 'adjustment' from the pence to the pounds;
- know that decimal points should line up under each other.

£8.95 = 8 + 0.9 + 0.05 | leading to 
$$-£4.38$$
 | = 8 + 0.8 + 0.15 | (adjust from T to U) | 8.85 |  $-4 + 0.3 + 0.08$  |  $-4 + 0.3 + 0.08$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |  $-4.38$  |

### multiplication

### Arrays

Children will continue to use arrays where appropriate leading into the grid method of multiplication.



### Grid method

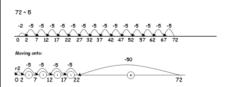
### TU x U - Short multiplication

23 x 8 Children will approximate first  $23 \times 8$  is approximately  $25 \times 8 = 200$ 

### division

### Repeated subtraction

Children will develop their use of repeated subtraction to be able to subtract multiples of the divisor. Initially, these should be multiples of 10s, 5s, 2s and 1s - numbers with which the children are more familiar.



Then onto the vertical method:

### Short division TU + U Chunking method

72 ÷ 3



Leading to subtraction of other multiples.

96 ÷ 6

160

184



Any remainders should be shown as integers, i.e. 14 remainder 2 or 14 r 2.

Children need to be able to decide what to do after division and round up or down accordingly. They should make sensible decisions about rounding up or down after division.

<u>addition</u>	<u>subtraction</u>	multiplication	<mark>division</mark>
Carrying method	Partitioning and decomposition	Grid and column methods	Short division HTU + U
			Chunking method
Children should extend the carrying	Step 1 754 = 700 + 50 + 4	HTU x U - Short multiplication	Children will continue to use written
method to numbers with at least	<u>- 286</u> - <u>200 + 80 + 6</u>	<u>Grid</u>	methods to solve short division TU ÷ U.
four digits.	Step 2 700 + 40 + 14 (adjust from T to U)	346 x 9	
-	- 200 + 80 + 6	Children will approximate first	Children can start to subtract larger
	Chan 2 (00 - 140 - 14 (-1/	346 x 9 is approximately 350 x 10 = 3500	multiples of the divisor, e.g. 30x
	Step 3 600 + 140 + 14 (adjust from H to T)  - 200 + 80 + 6  400 + 60 + 8 = 468	× 300 40 6	
587 3587	400 + 60 + 8 = 468	9 2700 360 54 2700	
587 3587	This would be recorded by the children as		196 ÷ 6
<u>+ 475</u> <u>+ 675</u>		+ 54 3114 11	32 r 4
	$\begin{array}{cccccccccccccccccccccccccccccccccccc$		
<u>1062</u> <u>4262</u>	400 + 60 + 8 = 468		6) 196
11 111	Decemberation	TU x TU - Long multiplication	- <u>180</u> / 30x\
11 111	<u>Decomposition</u>	Grid	16
			- <u>12</u> \ 2x /
	614 1	72 x 38	4
	<b>7%</b> 4	Children will approximate first	<b>T</b>
		72 x 38 is approximately 70 x 40 = 2800	<b>*</b>
Using similar methods, children will:	<u>- 286</u>	x _ 70 2_	Answer: 32 remainder 4 or 3
✓ add several numbers with	468	30 2100 60 2100 8 560 16 + 560	
different numbers of digits;		+ 60	Any remainders should be shown as inte
✓ begin to add two or more	Children should:	+ 16 2736	i.e. 14 remainder 2 or 14 r 2.
decimal fractions with up to	√ be able to subtract numbers with different	1	1,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0
three digits and the same	numbers of digits;	Decimals	Children need to be able to decide what
number of decimal places;	√ begin to find the difference between two	Using similar methods, they will be able to	do after division and round up or down
✓ know that decimal points	decimal fractions with up to three digits and the	multiply decimals with one decimal place by a	accordingly. They should make sensible
should line up under each	same number of decimal places;	single digit number, approximating first. They	decisions about rounding up or down after
other, particularly when	know that decimal points should line up under each other	should know that the decimal points line up	division.
adding or subtracting mixed		under each other.	
amounts, e.g. 3.2 m - 280 cm.	Where the numbers are involved in the calculation are	e.g. 4.9 x 3	Short compact method
	close together or near to multiples of 10, 100 etc	Children will approximate first	
	counting on using a number line should be used.	4.9 x 3 is approximately 5 x 3 = 15	Also a can be taught:
		× 4 0.9	0.7
	1209 - 388 = 821	3 12 2.7 12	97
	1607 - 300 - 061	<u>+ 2.7</u> 14.7	$3 2 9^2 1$
	+800	Column methods (long and short)	
	***************************************	(long alla oller 1)	
	+12 +9	Extend these to column methods when ready:	
	\xxxxxx/\/	38 56 56	
	388 400 1200 1209	× 7 × 27 × 27	
	0 300 100 1207	266 120 6×20 = 1000 1120 56×20 120 6×20 = 120 392 56×7	
		5 350 50×7 = 350 350 50×7	
		42 6×7= 42 1 1512	

	addition	<u>subtraction</u>	multiplication	division	
У	Carrying method	Decomposition method Grid and column methods		Short division TU ÷ U and HTU ÷ U	
E				Chunking (see Year 5)	
A	Children should extend the carrying method to number with any number of digits.		ThHTU x U - Short multiplication	Children will continue to use <b>chunking</b> written	
R			<u>Grid</u>	methods to solve short division problems	
			4346 x 8		
5		<b>64</b> 67	Children will approximate first	Long division HTU ÷ TU	
I		- 2684	4346 x 8 is approximately 4346 x 10 = 43460 x 4000 300 40 6	<u>Chunking</u>	
×	7648 6584		8 32000 2400 320 48 32000	972÷36	
	<u>+ 1486</u> <u>+ 5848</u>	3783	+ 2400 + 320	27 36 <del>972</del>	
	9134 111 12432		<u>+ 48</u> _34768	- 720 252 / 20x	
		+ 4681	HTU x TU - Long multiplication	- 252 \ 7x	
		Children should:	<u>Grid</u>		
		be able to subtract numbers with	372 x 24	Answer: 27	
		different numbers of digits;	Children will approximate first	Any remainders should be shown as fractions, i.e. if the children	
	Using similar methods, children	✓ be able to subtract two or more	372 x 24 is approximately 400 x 25 = 10000	were dividing 32 by 10, the answer should be shown as 3 $^2/_{10}$ which	
	will	decimal fractions with up to three	x 300 70 2 20 6000 1400 40 6000	could then be written as 3 $^1\!/_5$ in it's lowest terms.	
	✓ add several numbers with	digits and either one or two decimal	4 1200 280 8 + 1400	<u>Decimals</u>	
	different numbers of	places;	+ 1200 + 280	Extend to decimals with up to two decimal places. Children should	
	digits; ✓ begin to add two or more	√ know that decimal points should line	+ 40 + 8	know that decimal points line up under each other.  87.5 ÷ 7	
	decimal fractions with up	up under each other.	<u>8928</u>		
	to four digits and either		<u>Decimals</u>	12.5 7) 87.5	
	one or two decimal places;	Where the numbers are involved in the	Using similar methods, they will be able to multiply	- 70.0 17.5 /10x \	
	✓ know that decimal points	calculation are close together or near to	decimals with up to two decimal places by a single digit	- <u>14.0</u> 2x	
	should line up under each	multiples of 10, 100 etc counting on using a number line should be used.	number and then two digit numbers, approximating first. They should know that the decimal points line up under	- <u>3.5</u> \ 0.5x	
	other, particularly when	number line should be used.	each other.	<u> </u>	
	adding or subtracting		For example:	Answer: 12.5	
	mixed amounts, e.g. 401.2	3002 - 1997 = 1005	4.92 x 3		
	+ 26.85 + 0.71.		Children will approximate first	Short compact (consolidate):	
		+1000	4.92 x 3 is approximately 5 x 3 = 15	97	
			,	3)2 9 <sup>2</sup> 1	
		+3 +2	x 4 0.9 0.02	23	
		XXXXXX/ / / / / / / / / / / / / / / / /	3 12 2.7 0.06 12 + 0.7	24) 560	
		0 ×××××× 1997 2000 3000 3002	+ 0.06 12.76	-480	
			Column methods (long and short)	80	
				- <u>72</u> 8	
			JO 56	Answer: 23 R 8	
				Long division (traditional) level 5/6 children	
				017 25 425	
			$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	04	
			$42   6 \times 7 = 42   \frac{3 \times 42}{4}$	017 25 425 04 42 25 175 175	
			1512	175 <sup>—</sup> 000	
			1		

Reviewed and ratified by Governing body	Spring Term 2015		
Next Revision (Please highlight as appropriate)	Annual	<b>Biennial</b>	Tri-annual
To be reviewed	Spring Term 2017		